

Tutorial 03: Jan 29

1. Expected Runtime Analysis

Give the best-case and expected running time for the following function. You can assume that the Shuffle operation requires $\mathcal{O}(n)$ time and the array A contains no duplicates
Note: the *Shuffle()* function produces each permutation equally likely.

```
MonkeySort(A):  
  // Input: Array A of size n  
  // Output: None (A is sorted in-place)  
  shuffle(A)  
  if A is sorted then  
    return A  
  else do  
    MonkeySort(A)
```

2. Analysis

Suppose A is an array containing n distinct elements. In addition, assume each element is in between 1 and n , inclusive. Analyze this pseudo-code to determine a tight bound on the average number of question mark (?) that are printed, rather than a runtime. You may assume n is divisible by 2.

```
mystery(A, n)  
  count = 1  
  for i = 1 to n-1  
    if A[i] is divisible by A[0]  
      count++  
  for i = 1 to count  
    print("?")
```