

Tutorial 9

- Name & Type Error Checking in WLP4

Types of Errors

- Name errors: errors related to identifiers & their meaning(s)
 - ↳ eg: name used but not defined
 - ↳ eg: name used multiple times in different contexts with no way to disambiguate
- Type errors: errors related to the type of the expression
 - ↳ ie: determining correct type usage ($\text{int} + \text{int}$) vs. incorrect type usage ($\text{int}^* + \text{int}^*$)
- We can detect semantic errors by traversing & analyzing the parse trees of our expressions
 - ↳ Idea: traverse our parse tree to gather info on the prog so we can enforce rules that need context sensitive information

Name Errors

- 2 types of identifiers in WLP4: variable & procedure names.
- types of name errors in WLP4:
 - ① Duplicate declarations
 - ② Use without declaration

} Complications also arise due to
WLP4 supporting scope

• eg 1)

int f() {

 int x=0;

 return x;

}

int wain (int a, int b) {

 int x=0;

 return x;

}

Valid: x defined ≥ 1
times but in local scopes

int f() {

 int x=0;

 return x;

}

int wain (int a, int b) {

 return x;

}

Invalid: x used in wain & not
defined in wain

• eg 2)

int f() {

 int f = 1;

 return f;

}

int g(int g) {

 return g-1;

}

int wain (int a, int b) {

 return g(a) + f() + a

}

Valid: Ability to distinguish between
the fns & vars in all scopes!

int f() {

 int x=0;

 return x;

}

int f() {

 int x=0;

 return x;

}

int wain (int x, int y) {

 return f() + x;

}

Invalid: Cannot have multiple
declarations in the same scope

- Problem: We need context to determine if vars/fns are valid
- Idea: Use a symbol table! (like we did for MIPS labels!)
 - ↳ When you encounter a declaration, add it to the table.
 - If it is already there, error
 - lets you distinguish scope & types of vars/fn's
 - ↳ When you encounter a use, check if it is in the table. If not, error
 - ↳ WLP4 enforces forward declaration → only need 1 pass!

- Procedure rules:

procedure → INT ID LPAREN params RPAREN

LBRACE dcls statements RETURN expr SEMI RBRACE

main → INT WAIN LPAREN dcl COMMA dcl RPAREN

LBRACE dcls statements RETURN expr SEMI RBRACE

* Since 'params'/dcls' occur before 'statements', our code will have made a complete symbol table before running any code! *

- We can check our "declaration before use" rule on variables

by traversing the 'statements' subtree

↳ traverse to all leaf nodes from the rules:

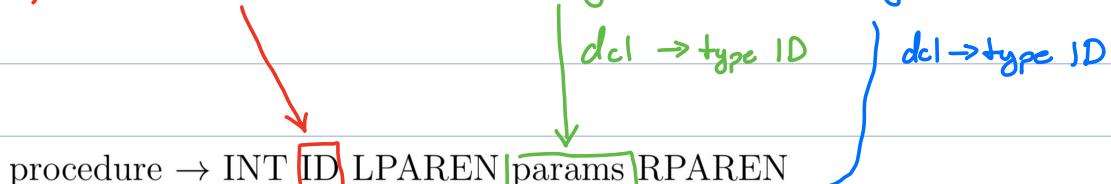
Factor → ID

Ivalue → ID

↳ check if ID is in your symbol table, if not then error!

- For multiple scopes from adding procedures
 - ↳ Create a global symbol table \forall procedures
 - ↳ all procedures should have their own local symbol tables
 - ↳ global table maps :

procedure ID to < procedure signature, local symbol table >



main → INT WAIN LPAREN [dcl] COMMA [dcl] RPAREN
 LBRACE [dcls] statements RETURN expr SEMI RBRACE

- With this, we can explore the 'statements'/'expr' subtrees to find var uses & fn calls to check in the global symbol table

• eg 1 symbol tables:

int $f()$ {

 int $x = 0;$

 return $x;$

}

int $wain(int a, int b)$ {

 int $x = 0;$

 return $x;$

}

Symbol table			
Procedure	Signature	Var	Type
f	[]	x	int
wain	[int, int]	a	int
		b	int
		x	int

2 different locally defined x 's!

int $f()$ {

 int $x = 0;$

 return $x;$

}

int $wain(int a, int b)$ {

 return $\underline{x};$

}

Symbol table			
Procedure	Signature	Var	Type
f	[]	x	int
wain	[int, int]	a	int
		b	int

No x in our symbol table, error!

- eg 2 symbol tables

int $f()$ {

 int $f = 1;$

 return $f;$

}

int $g(\text{int } g)$ {

 return $g - 1;$

}

int $wain(\text{int } a, \text{int } b)$ {

 return $g(a) + f() + a$

}

int $f()$ {

 int $x = 0;$

 return $x;$

}

int $f()$ {

 int $x = 0;$

 return $x;$

}

int $wain(\text{int } x, \text{int } y)$ {

 return $f() + x;$

}

Symbol table			
Procedure	Signature	Var	Type
f	[]	f	int
g	[int]	g	int
$wain$	[int, int]	a	int
		b	int

↑ differentiate between our
procedures & local variables

Symbol table			
Procedure	Signature	Var	Type
f	[]	x	int
f	[]	x	int
$wain$	[int, int]	x	int
		y	int

↑ 2 identical procedures f

and f , error!

↳ Note: this error would have
been thrown when we 1st reached
a duplicate $f()$ in symbol table
creation!

Type Errors

- For all nodes in a parse tree, cache their **types**
- Traverse our parse tree by recursing on children then parent
 - ↳ For leaf nodes, get & cache their type from the global symbol table
 - ↳ For non-leaf nodes, assume children have their type cached & use them to compute their type
- Types from expr's come from course reference sheet:

int PLUS int \Rightarrow int
int* PLUS int \Rightarrow int*
int PLUS int* \Rightarrow error

} And many more!
Help us determine all node types!

- * An assignment (ie: lvalue BECOMES expr SEMI) is **well-typed** if the lvalue & expr have the same type
↳ else, **error**

e.g.: Given the following WLP4 code:

```
int foo(int x, int y){  
    return x + 7 * y + 1  
}
```

...

```
int a = 0;  
int b = 0;  
int* c = NULL;  
int* d = NULL
```

Determine if the following WLP4 code is well-typed

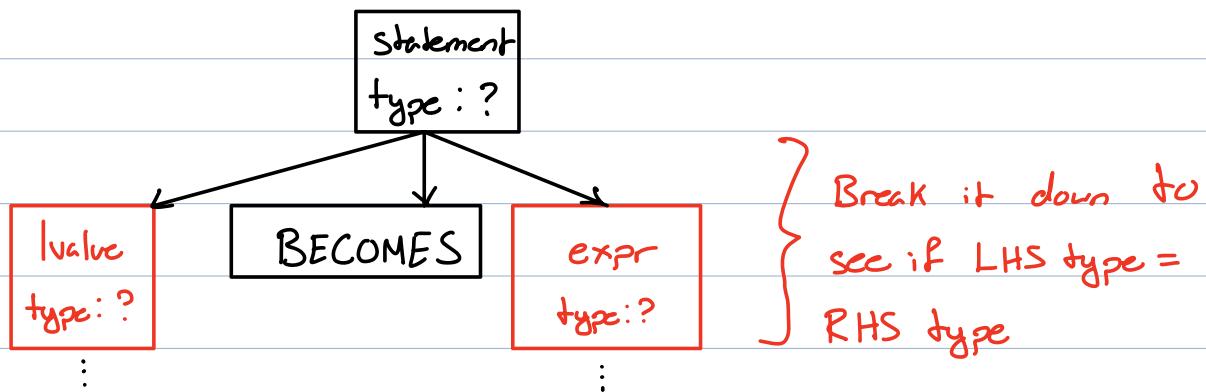
$$\textcircled{1} * (d + (((c - \delta b) + d) - (c + (a * b)))) = \leftarrow \text{lvalue (LHS)}$$

$$(c - d + * \text{new int}[d + b - c]); \quad \leftarrow \text{expr (RHS)}$$

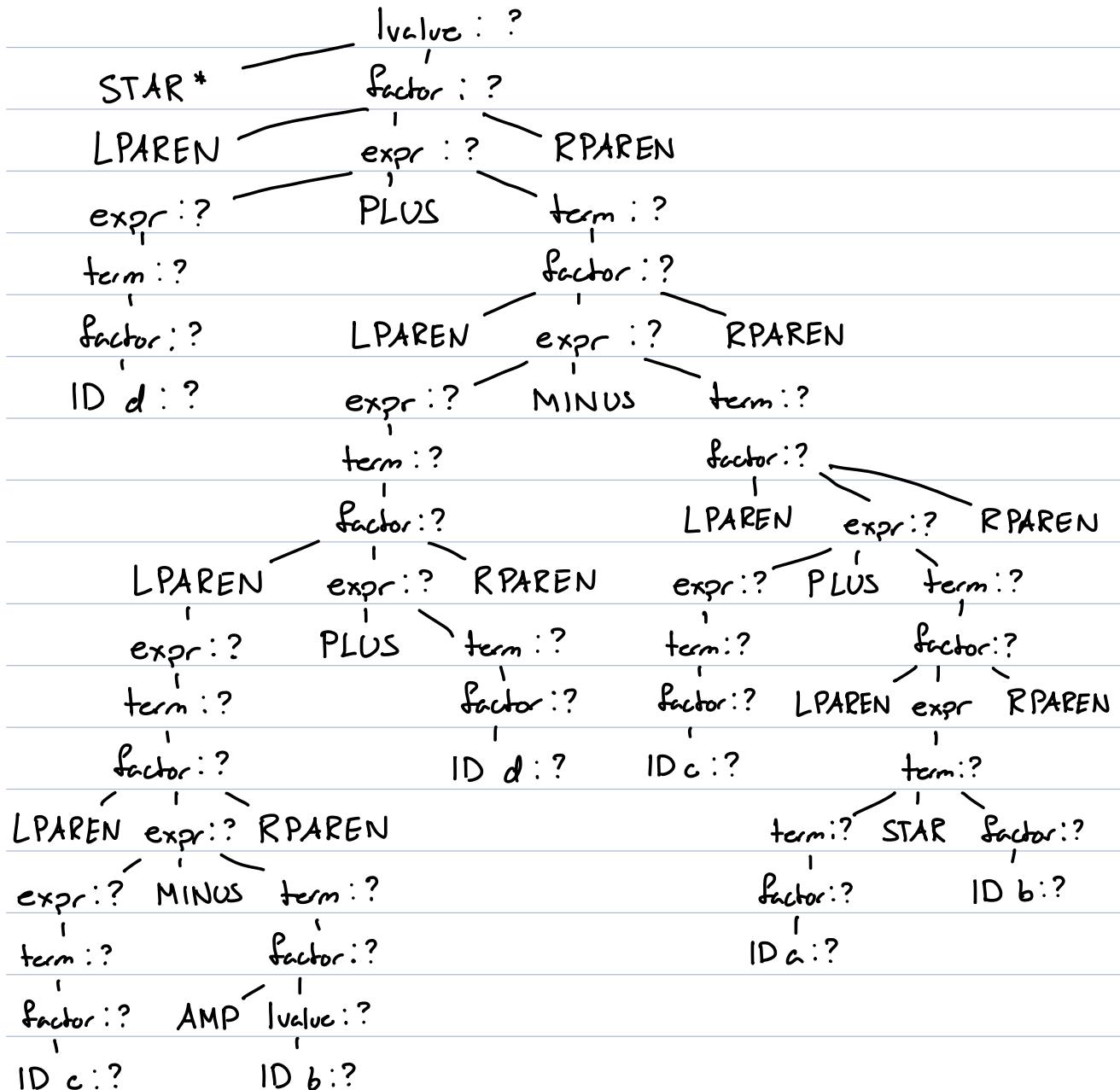
↳ goal: Show the type of LHS = type of RHS

(otherwise the statement is not well typed)

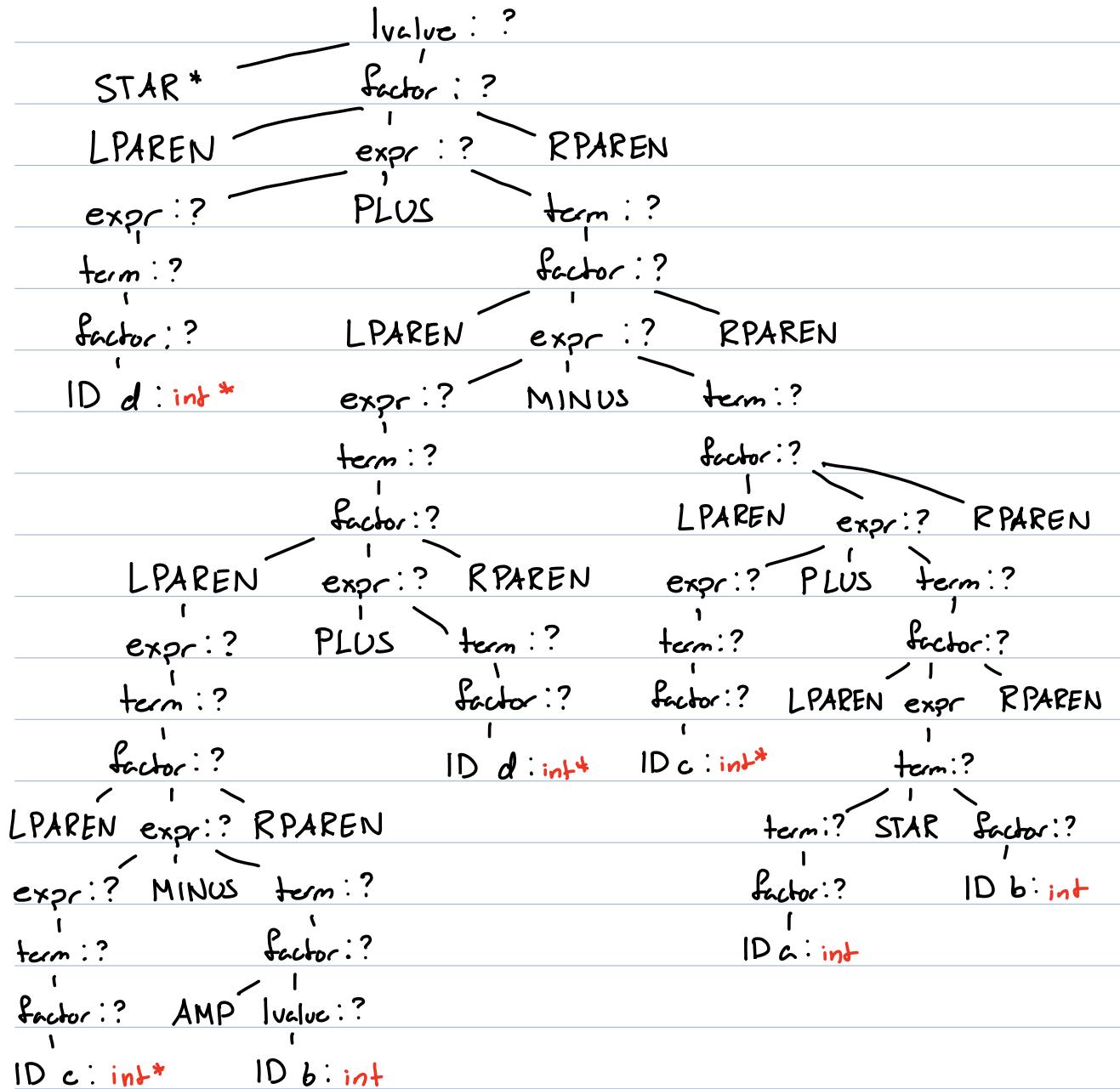
- Parse tree:



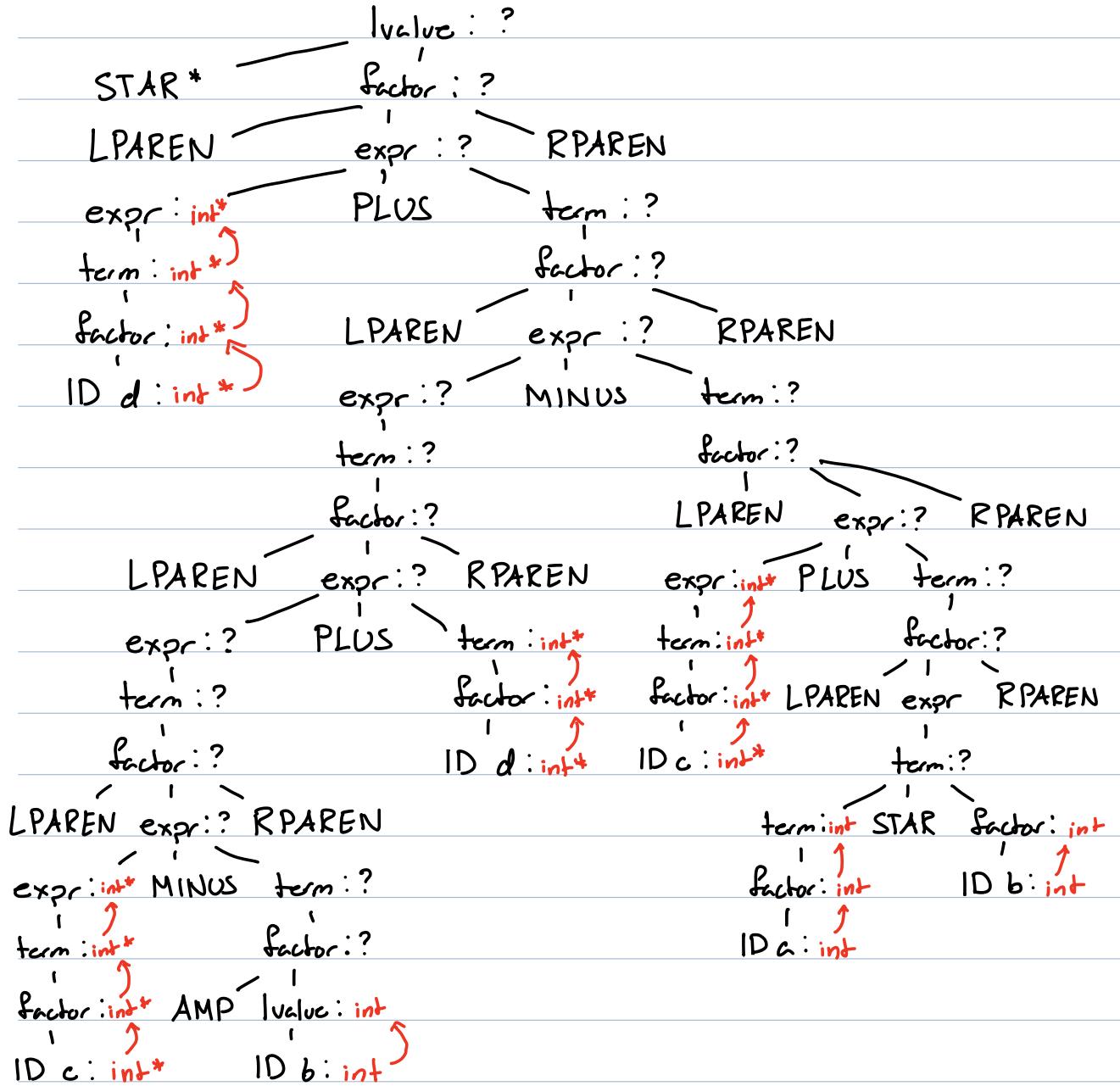
- Starting with our lvalue: (token : type)
 - $(d + (((c - ab) + d) - (c + (a * b))))$



Step 1) Fill in types for all ID's we see from our symbol table (ie: types from the provided code)



Step 2) Propagate upwards through parents with single children



Step 3) From rule conditions in our reference sheet,

get updated type & repeat steps

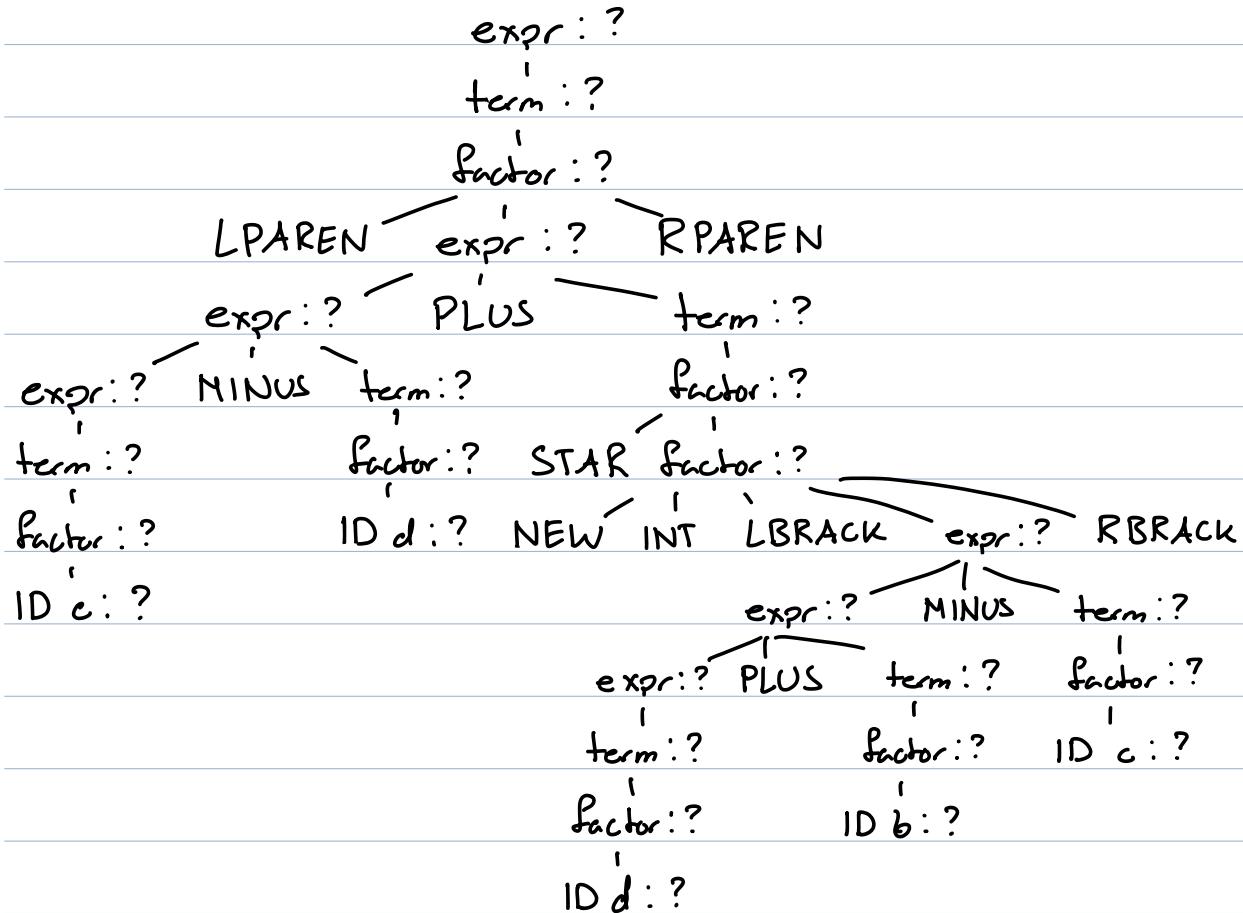
↳ Continue until your root gets a type! This is the type of the entire expression!

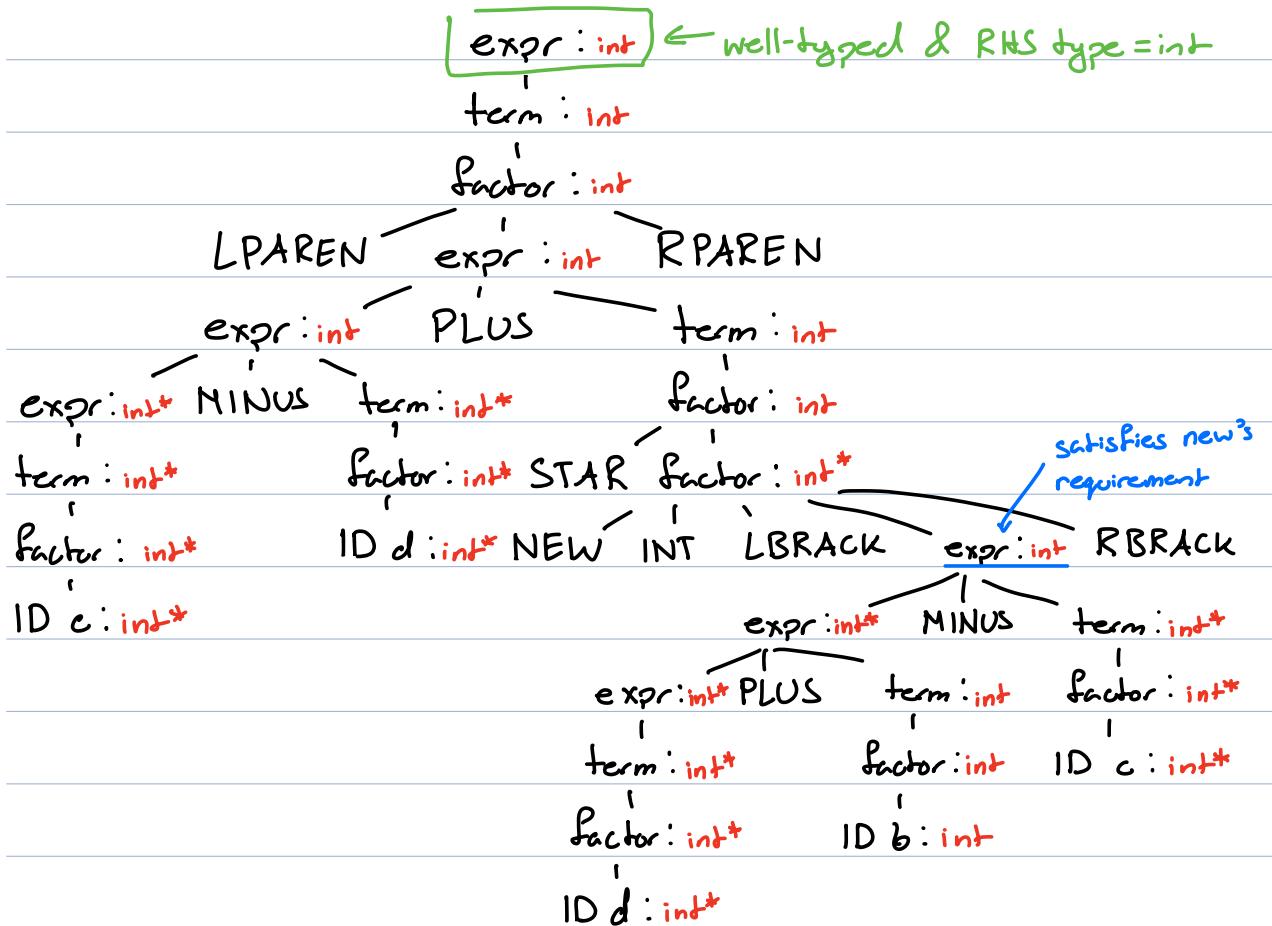
↳ If rule condition with a given type is not listed or met, error & exit!



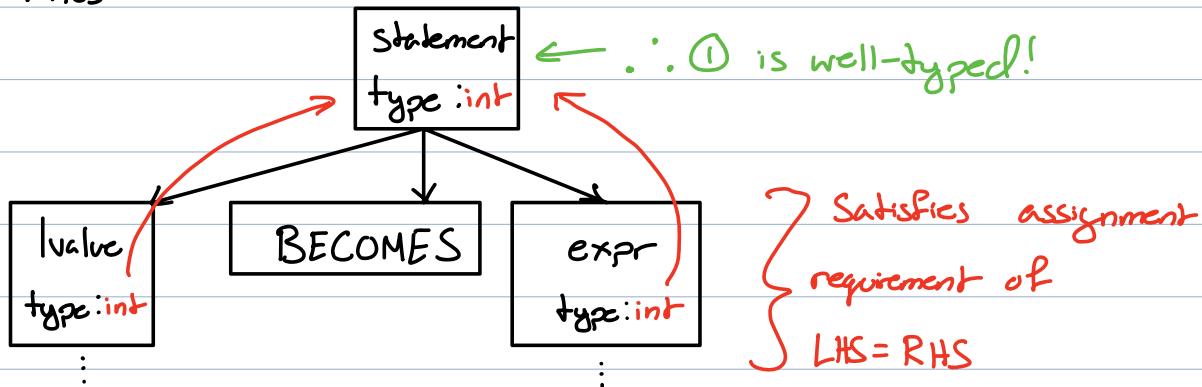
- For the RHS:

$(c - d + * \text{new int}[d+b-c]);$





- Thus:



② if (* $(c+a\%b)$) < ($\&a - \&b$) {

 println ($\&*\&c - (\&b)$);

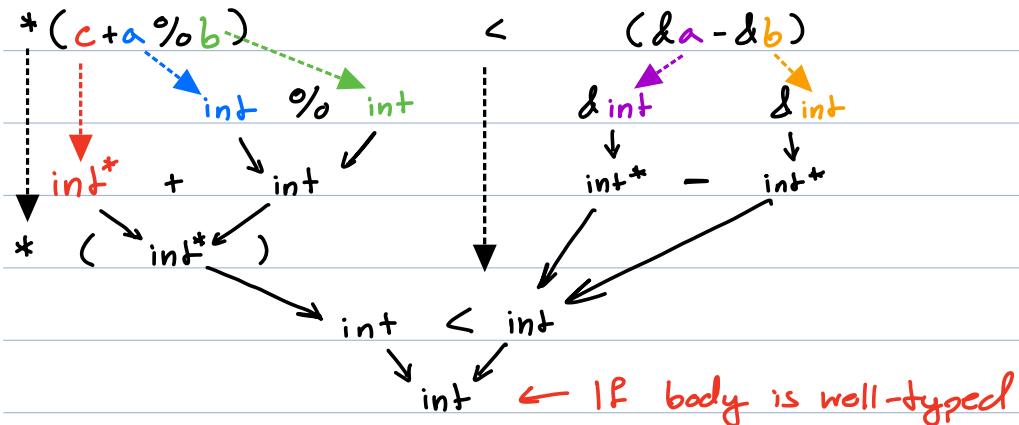
} else {

 delete [] * $d + \&a - c$;

}

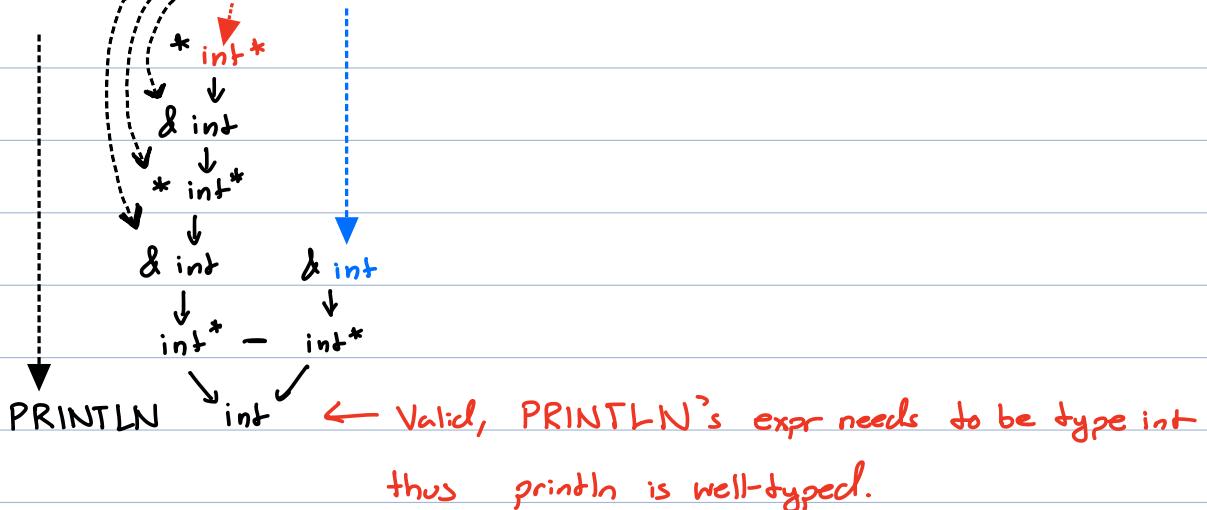
- Break it apart, starting from the inner if:

 ↳ (Note: this is a quicker way to perform type checking)



- Now the if body:

 println ($\&*\&c - (\&b)$);



- The else body:

$\text{delete } [] *d + \&a - c$

$$\begin{array}{c} * \text{int}^* \quad & \& \text{int} \\ \downarrow & & \downarrow \\ \text{int} + \text{int}^* \\ \downarrow \text{int}^* \quad \downarrow & - & \text{int}^* \end{array}$$

DELETE [] \rightsquigarrow int \leftarrow INVALID! $\text{delete } []$ requires an int^*

- \therefore ② is not well-typed since $\text{delete } [] *d + \&a - c$ is not well-typed