

# Lecture 1

What is ML

Q&A

# Lecture Notes 0 – Intro to Machine Learning

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## Course Logistics

## Intro to Machine Learning

## Resources

- ▶ Course website
- ▶ LEARN – submit homework code
- ▶ Crowdmark – submit homework written part (single pdf)
- ▶ Piazza – discussions, asking questions, announcements
- ▶ ...

## Format and grading

- ▶ Lectures – in person, not recorded
- ▶ In class participation – ask questions, answer my questions
- ▶ Homework – about weekly, about 1/2 of homeworks not graded
- ▶ Quizzes – announced, in class, about 3-4 total
- ▶ ~~NO~~ midterm exam
- ▶ Final exam (2h)
- ▶ TA Office hours: 2 hours / week (t.b. scheduled)
- ▶ Instructor Office Hour: Mondays 2-3pm. in person, location TBA

15 min

Grade  $\approx$  60% (homework + quizzes) + 35% final exam + 5% participation

These percentages may change by  $\pm 5\%$ .

## What will you learn in this course?

tasks

- ▶ Machine Learning (ML) problems (e.g. prediction, classification, clustering)
- ▶ ML models (**learners, or predictors**) (e.g. decision trees, neural networks (nn), nearest neighbors (NN))
- ▶ Training algorithms ("learning algorithms")
- ▶ ML concepts (e.g. bias and variance, decision regions, **complexity** (of a model))
- ▶ **Statistics** (e.g. MaxLikelihood, Bayesian inference)
- ▶ **Optimization** (e.g. local and global minimum, gradient descent)

# Taxonomies

...all of them incomplete

- ▶ Machine Learning Problems
  - ▶ Unsupervised ←
  - ▶ Supervised
  - ▶ (Semi-supervised)
  - ▶ Reinforcement X
- ▶ Machine learning models (statistical predictors)
  - ▶ Parametric
  - ▶ Non-parametric
- ▶ Statistical inference paradigms
  - ▶ Bayesian
  - ▶ Maximum Likelihood (ML)
  - ▶ Penalized Likelihood
  - ▶ Loss-based

These lists are meant to show that in this course we will not adopt a particular paradigm, but we will touch on most of them.

# Plan for 480/680

## ▶ Supervised Learning (Prediction)

- ▶ Predictor examples
- ▶ Basic concepts: decision region, loss function, generative vs discriminative, bias-variance tradeoff
- ▶ Training predictors: gradient descent, [Newton method]
- ▶ [Combining predictors: bagging, boosting, additive models]
- ▶ Regularized predictors: model selection, support vector machines, L1 regularization,
- ▶ Learning theory and model selection basics

## ▶ Unsupervised Learning

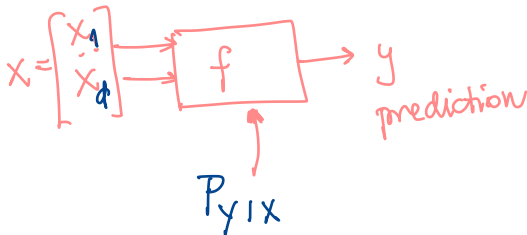
- ▶ Clustering: parametric, non-parametric
- ▶ [Graphical models intro]
- ▶ [Non-linear dimension reduction and geometric learning]
- ▶ [Semi-supervised learning]
- ▶ [Modeling graph data]

## ▶ [Reinforcement Learning]

# Supervised Learning (prediction)

**Problem** Given **input**  $x \in \mathbb{R}^d$ , **output** some property  $y = f(x)$

- ▶  $x$  is vector of attributes, features, inputs, covariates (if you are a statistician), ...
- ▶  $y$  is **label**
- ▶ Data  $\mathcal{D} = \{(x^1, y^1), \dots, (x^n, y^n)\}$  used for learning is **labeled data**
- ▶ First encounter with randomness  $\mathcal{D}$  is **sampled** from a distribution  $P_{xy}$ . Goal is to learn  $P_{y|x}$ .



Example: Digit classification

writer  $y \rightarrow x$  learner (predictor)  $x \rightarrow \hat{y}$

## Multiclass classification

### Supervised Learning

- Nearest neighbour:



$x^i \in \{0:63\}^{16 \times 16} = x$  OR  $28 \times 28$   
 $y^i = 2 \in y = \{0,1,\dots,9\}$



# Unsupervised learning

- ▶ Learn the structure of a distribution  $P_X$  from **unlabeled** data  $\{x^1, x^2, \dots, x^n\} \sim P_X$ 
  - ▶ Clustering – find groups in data (if they exist)
  - ▶ Dimension reduction – PCA, non-linear dimension reduction
  - ▶ Sparse dependencies – graphical models, sparse regression
  - ▶ Causal structure

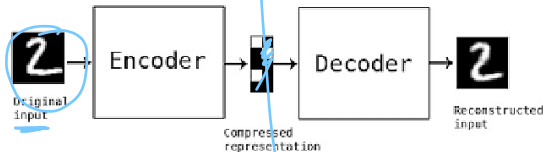
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# Unsupervised learning

- ▶ Learn **the structure** of a distribution  $P_X$  from **unlabeled** data  $\{x^1, x^2, \dots, x^n\}$ 
  - ▶ Clustering – find groups in data (if they exist)
  - ▶ Dimension reduction – PCA, non-linear dimension reduction
  - ▶ Sparse dependencies – graphical models, sparse regression
  - ▶ Causal structure
- ▶ Learn a **distribution**  $P_X$  from **unlabeled** data  $\{x^1, x^2, \dots, x^n\}$  – Density estimation, Autoencoders, GANs, “generative models”

# Unsupervised Learning

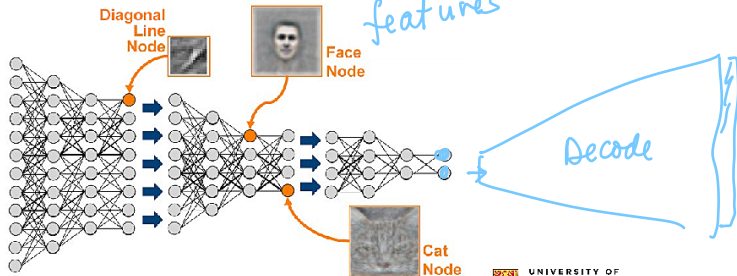
- Output is not given as part of training set
- Find model that explains the data
  - E.g. clustering, compressed representation, features, generative models



# Unsupervised Feature Generation

- Encoder trained on large number of images

*high-level features*



# Unsupervised Image Generation

- Which images are real? And which ones are fake?

Real



CelebA (Liu et al., 2015)

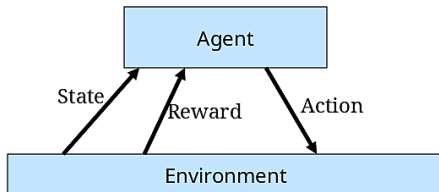
Fake!



StyleGAN2 (Karras et al., 2020)

- Image generation: variational autoencoders, generative adversarial networks, diffusion models

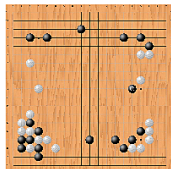
# Reinforcement Learning Problem



**Goal:** Learn to choose actions that maximize rewards

# Game Playing

- Example: Go (one of the oldest and hardest board games)
- **Agent:** player
- **Environment:** opponent
- **State:** board configuration
- **Action:** next stone location
- **Reward:** +1 win / -1 loose



2016: AlphaGo defeats top player Lee Sedol (4-1)  
Game 2 move 37: AlphaGo plays unexpected move (odds 1/10,000)

# Combining Unsupervised, Supervised and Reinforcement Learning

- Modern systems:
  - Phase 1: unsupervised feature extraction (no labels)
  - Phase 2: supervised training (exploit labels)
  - Phase 3: fine tune by reinforcement learning (exploit reinforcements)
- Alpha Go: supervised + reinforcement learning
- Sentiment analysis with BERT: unsupervised + supervised learning
- ChatGPT: supervised + reinforcement learning

## This course

- ▶ Supervised learning
- ▶ Unsupervised learning (some)
- ▶ But not Reinforcement Learning – see CS 486/686/885  
<https://cs.uwaterloo.ca/ppoupart>